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Improvement of Power System Stability by using SVC with Cascade PID Controller

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Abstract- In power system, one most crucial problem is maintaining system stability. The main reasons for occurring stability problem in the system is due to the fault occurs in the system. In this paper the effect of SVC on voltage stability is investigates using cascade Proportional Integral Differential controller. SVC is a shunt type FACTS device which is used in power system primarily for the purpose of voltage and reactive power control. The cascade PID controller parameters has been selected by using Tyreus-Luyben settings method for primary loop controller and modified Ziegler-Nichols method for secondary loop controller. Cascade control is mainly used to achieve fast rejection of disturbance before it propagates to the other parts of the plant. PID controller in cascade architecture is the best choice compared to conventional single loop control system for controlling nonlinear processs. The primary controller is used to calculate the setpoint for the secondary controller. The effect of fault on line with SVC and SVC with supplementary controller is also investigates.

Keywords: SVC, voltage regulator, cascade propotional integral differential controller, matlab simulink.

GJRE-F Classification : FOR Code: 090607



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III. SVC V-I CHARACTERISTICS

a) The SVC can be operated in two different modes

In voltage regulation mode (the voltage is regulated within limits as explained below). b). In VAR control mode (the SVC susceptance is kept constant).

From V-I curve of SVC, From Fig.2^[3].

$$V = V_{ref} + X_s \cdot I_s; \text{ In regulation range } (-B_{cmax} < B < B_{cmax})$$

$$V = I / B_{cmax}; \text{ SVC is fully Capacitive } (B = B_{cmax})$$

$$V = 1 / B_{lmax}; \text{ SVC is fully inductive } (B = B_{lmax})$$

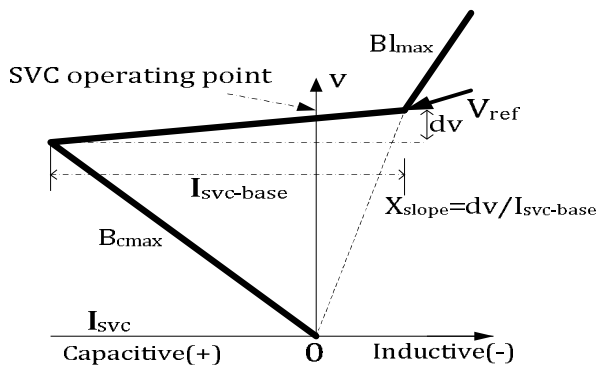


Figure 2 : Steady state(V-I) characteristic of a SVC

IV. POWER SYSTEM MODEL

This example described in this section illustrates modelling of a simple transmission system containing 2- hydraulic power plants[Fig.3]. SVC has been used to improve transient stability and power system oscillations damping. The phasor simulation

method can be used. A single line diagram represents a simple 500 kV transmission system is shown in Fig.3[9].

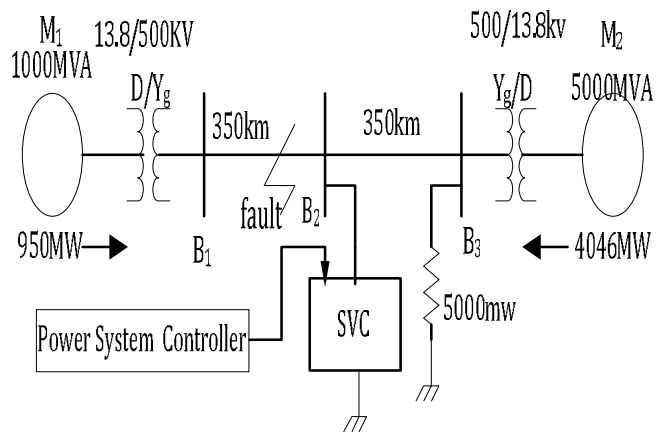


Figure 3 : Single line diagram of 2-machine power system

A 1000 MW hydraulic generation plant (M1) is connected to a load centre through a long 500 kV, total 700km transmission line. A 5000 MW of resistive load is modelled as the load centre. The remote 1000 MVA plant and a local generation of 5000 MVA (plant M2) feed the load. A load flow has been performed on this system with plant M1 generating 950 MW so that plant M2 produces 4046 MW. The line carries 944 MW which is close to its surge impedance loading (SIL = 977 MW). To maintain system stability after faults, the Transmissi online is shunt compensated at its centre by a 200MVAR Static VAR Compensator (SVC).

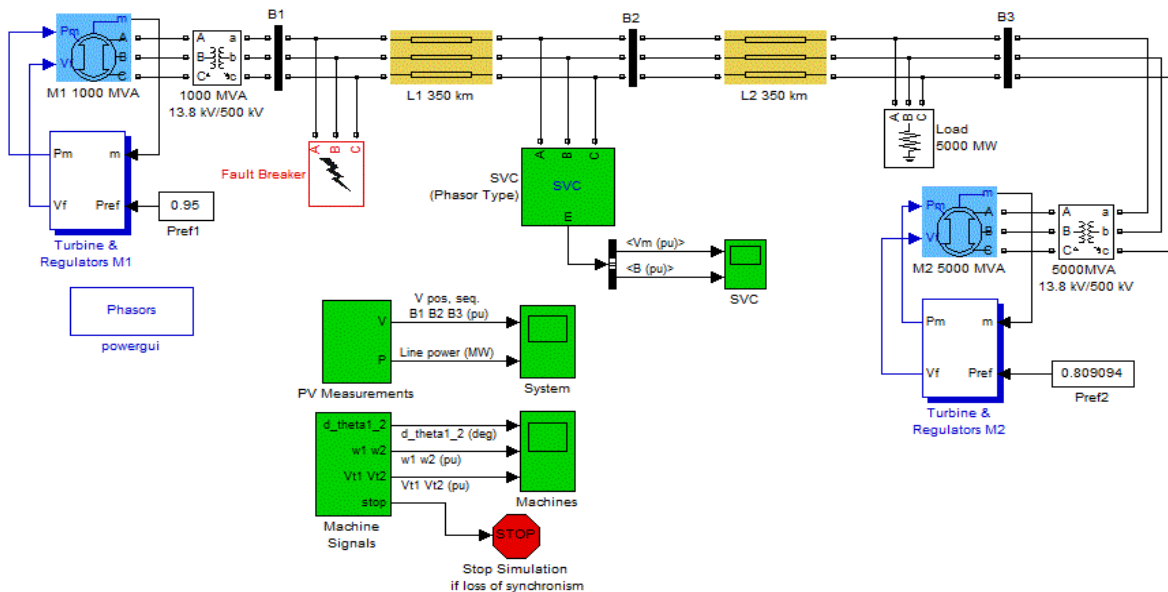


Figure 4 : Complete simulink model of 2-machine power system

The SVC does not have any controller unit. Machine & SVC parameters has been taken from reference[9].The complete simulink model of SVC with PID controller is shown in Fig.4. To maintain system

stability after faults, the transmissionline is shunt compensated at its centre by a 200MVAR Static VAR Compensator (SVC) with PID controller. The two machines are equipped with a hydraulic turbine and

governor (HTG), excitation system, and PID controller. Another machine is swing generator. PID is used in the model to add damping to the rotor oscillations of the synchronous machine by controlling its excitation current_[5]. Any disturbances that occur in power systems due to fault, can result in inducing electromechanical oscillations of the electrical generators. Such oscillating swings must be effectively damped to maintain the system stability and reduce the risk of stepping out of synchronism.

V. SIMULATION RESULTS

The load flow solution of the above system is calculated and the simulation results are shown below. Two types of faults: A. single line to ground fault & B. Three phase fault have been considered.

a) Single line to ground fault

Consider a 1-phase fault occurred at 0.1s & circuit breaker is opened at 0.2s (4-cycle fault), Without SVC, the system voltage, power & machines oscillates goes on unstable[Fig.(5,7,9)]. But if SVC(without controller) is applied then voltage becomes stable within 3s [Fig.6], power becomes within 3s[Fig.8] & machines oscillation becomes stable within 4.5s [Fig.10]. All results has been summarized in table-III

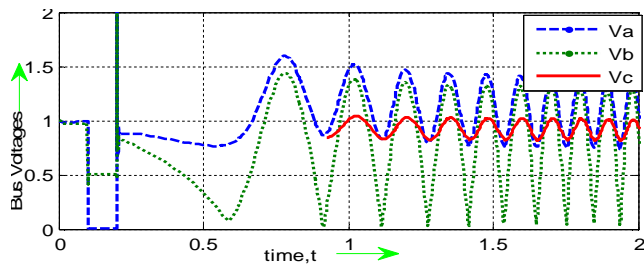


Figure 5 : Bus voltages in p.u for 1-phase fault(without SVC)

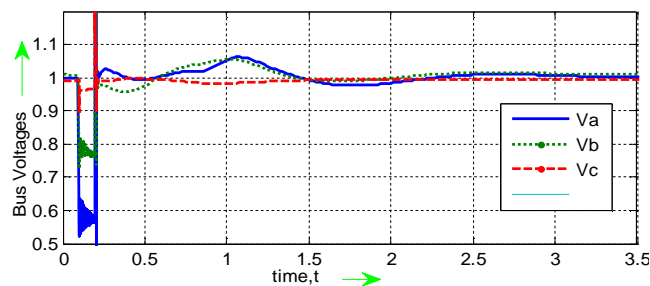


Figure 6 : Bus Voltages in p.u for 1-phase fault (with SVC)

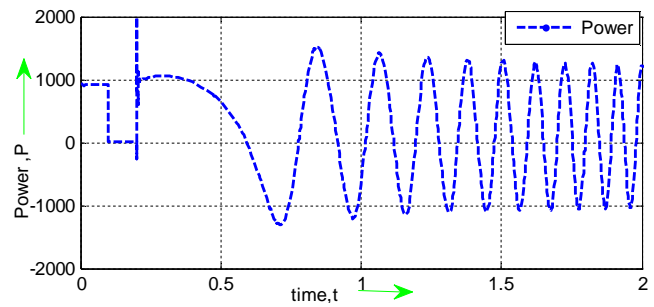


Figure 7 : Bus power, P in MW during fault (Without SVC)

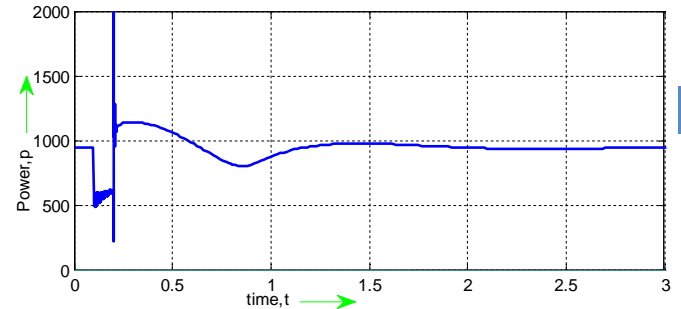


Figure 8 : Bus Power(P)in MW for 1-Ø faults(with SVC)

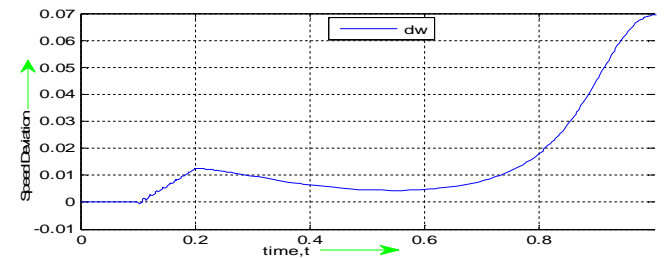


Figure 9 : Speed deviation for 1- phase fault(without SVC)

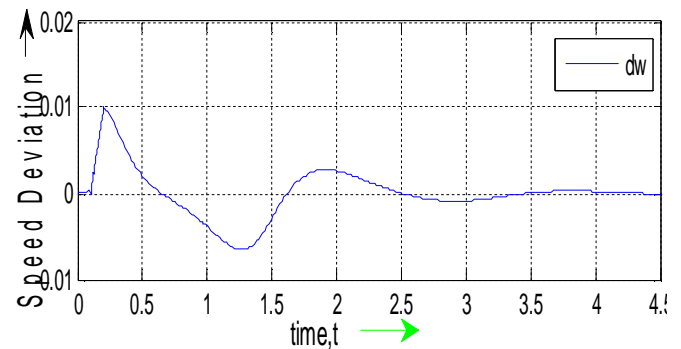


Figure 10 : Speed oscillations for 1- phase fault(with SVC)

b) Three phase fault

During 3-phase faults, If no SVC is applied then system voltage & machines speed deviations becomes unstable But when SVC(without controller) is applied then the system voltage becomes stable within 5s [Fig.11] & machines speed deviation becomes stable within 5s [Fig.12].

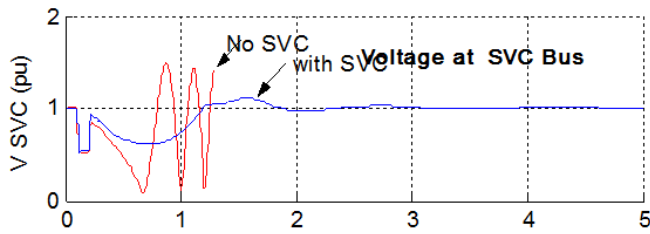


Figure 11 : Bus Voltage(Va) in p.u for L-L phase fault

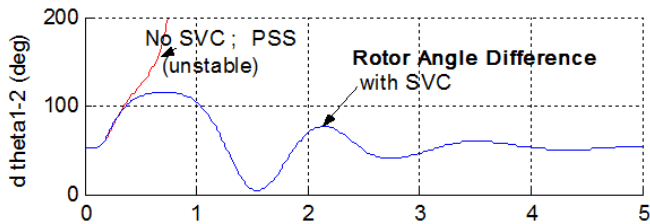


Figure 12 : Machines speed deviation for L-L fault

VI. DESIGN OF CASCADE PROPORTIONAL INTEGRAL DIFFERENTIAL CONTROLLER (PID)

The Tyreus- Luyben procedure is quite similar to the Ziegler-Nichols method but the final controller settings are different. Tyreus-Luyben PID Controller, the values of delay time, rise time, and settling time are better in comparison with Modified Ziegler-Nichols method. Also this method only proposes settings for PI and PID controllers. These settings that are based on ultimate gain and period are given in table 1.

Table 1 : Tyreus-Luyben settings

Controller	Kp	Ti	Td
PI	Kcr/3.2	2.2Pcr	
PID	Kcr/3.2	2.2Pcr	Pcr/6.3

For some control loops the measure of oscillation, provide by 1/4 decay ratio and the corresponding large overshoots for set point changes are undesirable therefore more conservative methods are often preferable such as modified Z-N settings

Table 2 : Modified Ziegler-Nichols settings

Controller	Kp	Ti	Td
PI	0.2Kcr	Pcr/2	
PID	0.2Kcr	Pcr/2	Pcr/3

a) Designed of PID Controller

PID controller is tuned by the proposed both Tyreus-Luyben tuning and modified Ziegler- Nichols methods. The PID controller has three term control signal

$$u(t) = K_p e(t) + \frac{K_p}{T_i} \int e(t) dt + K_p T_d \frac{de(t)}{dt}$$

$$\frac{U(s)}{E(s)} = K_p \left(1 + \frac{1}{T_i S} + T_d S \right)$$

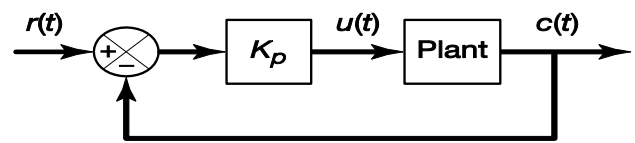


Figure 13 : PID controller is in proportional action

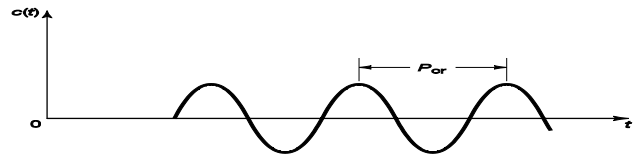


Figure 14 : Determination of sustained oscillation (Pcr)

For selecting the proper controller parameters, Tyreus-Luyben Tuning Method is described below. In this method, the parameter is selected as $T_i = \infty, T_d = 0$. Using the proportional controller action [Fig.14] only increase K_p from 0 to a critical value K_{cr} . At which the output first exhibits sustained oscillations [Fig.14]. Thus the critical gain K_{cr} & the corresponding period P_{cr} are experimentally determined. It is suggested that the values of the parameters K_p, T_i, T_d should set according to the following formula

$$K_p = 0.3125 K_{cr}, T_i = 2.2 P_{cr}, T_d = 0.159 P_{cr}$$

Notice that the PID controller tuned by proposed Tyreus-Luyben tuning methods rules as follows

$$G_c(s) = K_p \left(1 + \frac{1}{T_i S} + T_d S \right)$$

$$G_c(s) = 0.3125 K_{cr} \left(1 + \frac{1}{2.2 P_{cr} S} + 0.159 P_{cr} S \right)$$

It's found that, $P_{cr} = 0.2s$ & $K_{cr} = 200$ [Fig.5]. So,

$$G_c(s) = \frac{198}{s} * (S^2 + 31.55S + 71.6)$$

For selecting the proper controller parameters, Modified Ziegler-Nichols Tuning Method is described below.

In this method, the parameter is selected as $T_i = \infty, T_d = 0$. Using the proportional controller Action Fig.14] only increase K_p from 0 to a critical value K_{cr} . At which the output first exhibits sustained oscillations [Fig.14]. Thus the critical gain K_{cr} & the corresponding period P_{cr} are experimentally determined. It is suggested that the values of the parameters K_p, T_i, T_d should set according to the following formula .

$$K_p = 0.2 K_{cr}, T_i = 0.5 P_{cr}, T_d = 0.33 P_{cr}$$

Notice that the PID controller tuned by proposed Ziegler-Nichols tuning methods rules as follows,

$$G_c(s) = K_p \left(1 + \frac{1}{T_i s} + T_d s \right)$$

$$G_c(s) = 0.2 K_{cr} \left(1 + \frac{1}{0.5 P_{cr} s} + 0.33 P_{cr} s \right)$$

It's found that, $P_{cr} = 0.2s$ & $K_{cr} = 200$ [Fig.5]. So,

$$G_c(s) = \frac{2.67}{s} * (s^2 + 15s + 150)$$

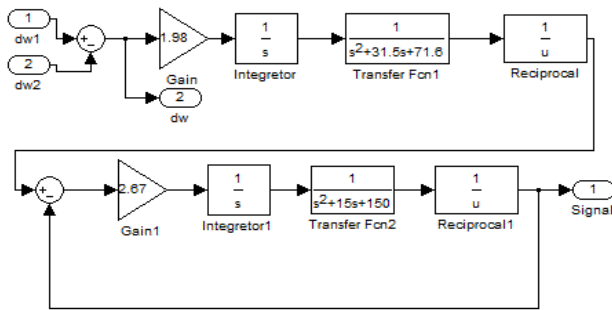


Figure 15 : Internal Structure of cascade PID controller with $d\omega$ input

VII. SIMULATION RESULTS

The network remains same [Fig.4], just simple SVC is replaced by cascade PID controlled SVC. During fault, machines speed deviation ($d\omega$) always monitored by cascade PID controller & taking input of this oscillation, after processing this signal reaches as V_{ref} in SVC. It reduces damping of power system oscillation & helps SVC to improve stability. Two types of faults has been considered:

- A. Single line to ground fault and B. Three phase L-L fault

a) Single line to ground fault

During 1-phase faults, if cascade PID is used with SVC controller then, the system voltage becomes stable within 1.5s with 0% damping [Fig.16] & Power (P,Q) becomes stable within 1.2s & 1s [Fig.17,18] & Machine speed deviation $d\omega$ becomes stable at 2.8s [Fig.19].

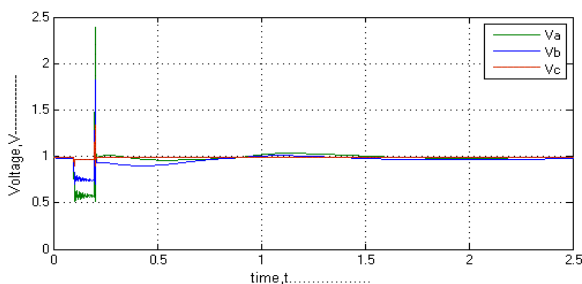


Figure 16 : Bus voltage in p.u for 1-Ø fault (with cascade PID)

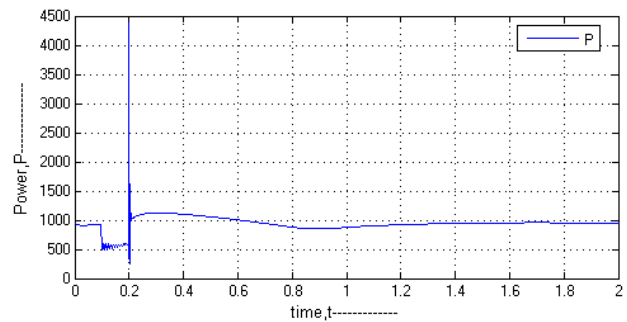


Figure 17 : Bus power, P in MW for 1-Ø fault (with cascade PID)

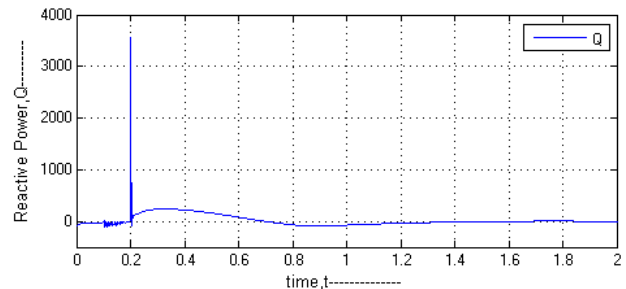


Figure 18 : Bus Power, Q for 1-Ø fault in MW (with cascade PID)

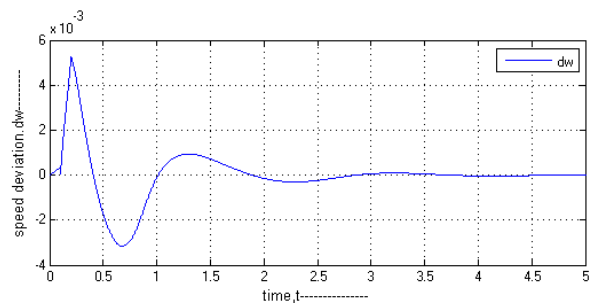


Figure 19 : Machines speed deviation for 1-Ø fault (with cascade PID)

b) Three phase fault

During 3-phase faults, If cascade PID is used with SVC controller then, the system voltage becomes stable within 2.5s [Fig.20] & Both power (P,Q) becomes stable within 1.8s [Fig.21,22]. Machine speed deviation $d\omega$ becomes stable at 3.3s [Fig.23].

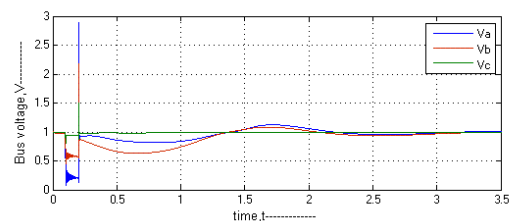


Figure 20 : Bus voltages in p.u for L-L fault (with cascade PID)

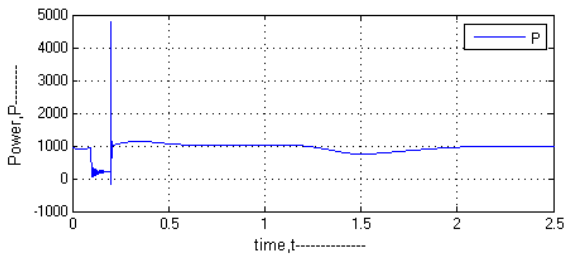


Figure 21: Bus power, P in MW for L-L fault (with cascade PID)

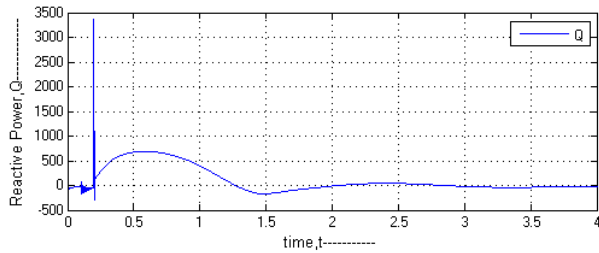


Figure 22: Bus power, Q in MVAR for L-L fault (with cascade PID)

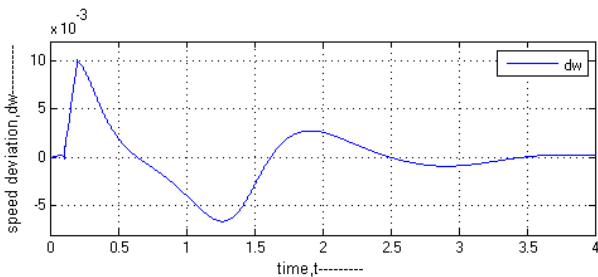


Figure 23: Machines speed deviation for L-L fault (with cascade PID)

VIII. RESULTS & DISCUSSIONS

The performance of the proposed PID Controller with SVC has been summarized in the table III. In table-III, α (infinite time) means the system is unstable, SVC rating in MVA. The network is simulated in three steps; without SVC, With SVC, SVC with proposed CASCADE PID Controller.

Table 3: Performance of proposed cascade PID

Cont roller	SVC Rating	1-Øfault (Stability time)			L-L fault (Stability time)		
		Volt	P,Q	d ω	Volt	P, Q	d ω
No SVC	200 MV A	α	α	α	α	α	α

SVC	200 MV A	3s	3s	4.5s	5s	5s	5s
SVC + Cascade PID	20 MV A	1.5s	1.2s, 1s	2.8s	2.5s	1.8s	3.3s

IX. CONCLUSION

The obtained results of the conducted investigations along with the associated simulation demonstrated clearly that the proposed (designed) cascade PID controller enhanced significantly the effectiveness of the integrated SVC in the examined power controller because of shorter stability time, simple designed system. In cascade PID Controller may be highly suitable as a SVC, low cost & highly efficient controller. The proposed cascade PID for SVC is proved to be very effective of robust power system within very shortest possible time for both steady state & dynamic conditions. These proposed cascade PID Controller can be applied for any interconnected multi-machine power system network for stability improvement.

These controller can be applied to another FACTS devices namely SSSC, STATCOM, UPFC whose controllers may be controlled externally by designing different types of controllers which also may be tuned by using different algorithm i.e. Fuzzy logic, ANN, Genetic algorithm, FSO etc. for both transient and steady state stability improvement of a power system.

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