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Estimating the Speed of rotation of a rotating X-Ray window

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Introduction - rotating membrane is assumed to be a rotating disc and appropriate speed of rotation is a key consideration if the material in question must survive the heat flux imparted on it by impinging beam of electrons. $1\mu\text{m}$ hot spots are assumed to be distributed on the target material such that a circular pattern is formed according to figure 1 .

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Estimating the Speed of rotation of a rotating X-Ray window

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I. INTRODUCTION

A rotating membrane is assumed to be a rotating disc and appropriate speed of rotation is a key consideration if the material in question must survive the heat flux imparted on it by impinging beam of electrons. $1\mu\text{m}$ hot spots are assumed to be distributed on the target material such that a circular pattern is formed according to figure 1

II. NUMBER OF HOT SPOTS

Radii chosen varied from $1000\mu\text{m}$ to $50000\mu\text{m}$. If we set speed of rotation as 825 rev/s (which is a realistically attainable speed)

$$825\text{ rev/s} = \frac{44 \times R}{7T} \quad (1)$$

Where R =radius of rotating disc, and T is the time for 1 rev (period) Consider a circle of diameter 10mm ; circumference, of the circle will be, $2\pi R = 2\pi (5 \times 10^{-3})\text{m} = 3.142857 \times 10^{-2}\text{m}$

To arrive at the number of hot spots

$$\text{We have } \frac{2\pi R}{d} = \frac{3.142857 \times 10^{-2}}{1 \times 10^{-6}} = 31428.57$$

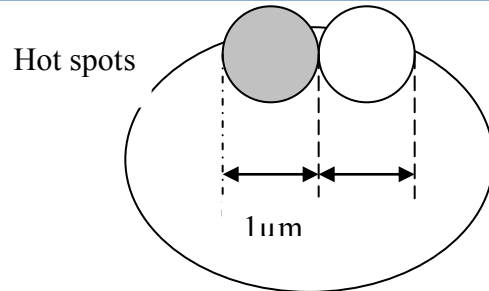


Figure 1 : Rotating disk with $1\mu\text{m}$ hotspots forming a circular pattern

hot spots where d is the diameter of 1 hot spot.

If heat source will theoretically heat up $1\mu\text{m}$ hot spot to maximum allowable temperature in say 30ns and we rotate the disc by $1\mu\text{m}$ after this assumed time so that a new position is assumed on the circular path of the beam, the circle will make 1 revolution in a time expressed as

$$T = \text{Number of spots} \times \text{time per spot} \\ = 31428.57 \times 30 \times 10^{-9}\text{s} = 942857.143 \times 10^{-9}\text{s} \\ \approx 1 \times 10^{-3}\text{s}$$

$$w = \frac{2\pi R}{T} \div 2\pi R (\text{rev/s})$$

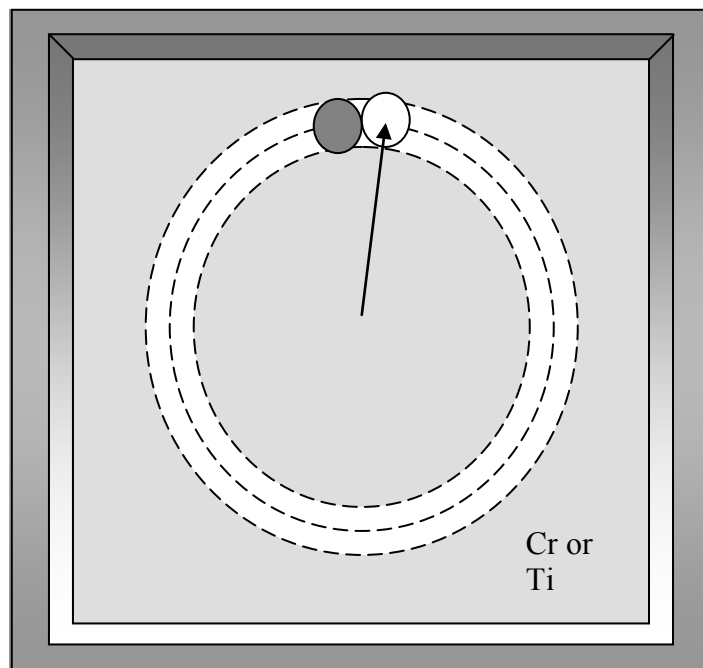


Figure 2 : Circular pattern showing the paths covered by heat flux on a square shaped X-ray window

III. SPEED AND SEAT UP TIME

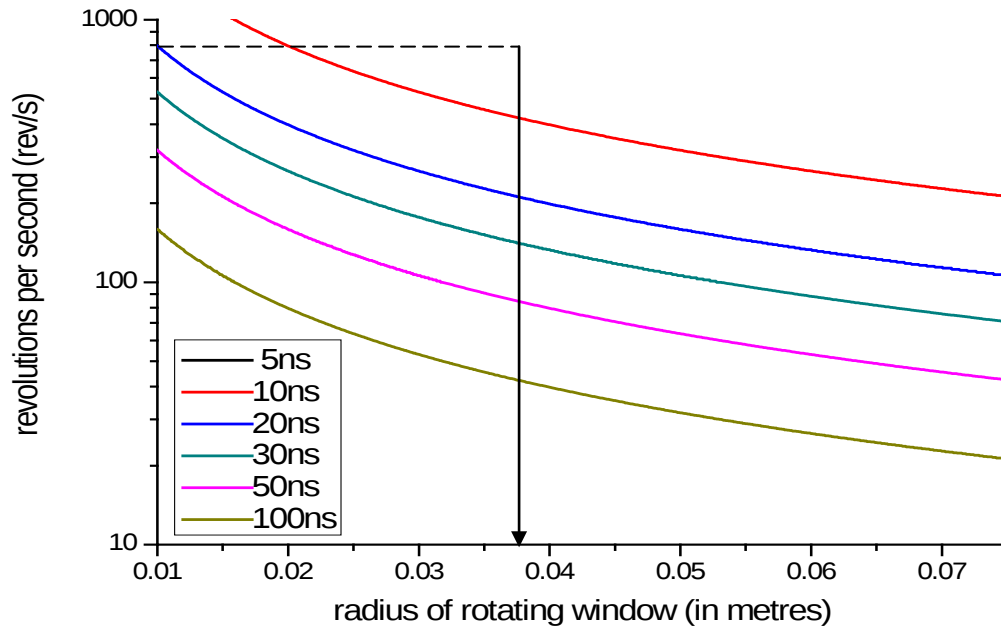


Figure 3 : Graph showing required rotation rate versus radius, for varying heat up times

Figure 2 Describes the rotation of the disk by the circular pattern showing the paths covered by heat flux on a square shaped X-ray window.

Figure 3 simply infers that at lower seating up times, the speed of rotation is greater and has an inverse relationship with radii of rotating window. Window of radius of about 32mm been impinged on, by a beam of electrons having heating up time of 5ns will be assumed to rotate at 1000rev/s . Rotating discs of radius of $\leq 32\text{mm}$ will rotate at $\leq 1000\text{rev/s}$ for heating up times of 5, 10, 20, 30, 50 and 100ns according to figure 1. The graph shows that, assuming a maximum practical radius of 800rev/s , a range of heating up time s from 10ns to 100ns can be tolerated and rotating diameters of $\approx 20\text{mm}$ to $\approx 100\text{mm}$ can be used.

However the speed of an arbitrary hot spot travelling on a circular path in metres per seconds is unaffected by changing radii according to figure **

The maximum practically attainable rotation has 1650 rev/s or $100\,000\text{ rev/min}$ and a more realistic and less problematic value of speed is approximately 825 rev/s or $50\,000\text{ rev/min}$. Maximum practical radius of rotation is taken as approximately 50mm . Radii larger than this critical value will cause centrifugal force to tear the rotating disk. Rotating disk of radii $R \leq 28\text{mm}$ will rotate at speeds of $w \leq 1100\text{rev/s}$ at heating up times of 5ns, 10ns, 20ns, 30ns, 50ns and 100ns according to figure 3.

IV. CONCLUSION

A description on how to calculate the number of hot spots have been given; speed of rotation in revolutions per second and seat up time for each hot spot have been derived. In the course of microfabrication, radii of disks must not exceed 50mm , to avoid been torn apart by centrifugal force.

APPENDIX

Basic Thermal Properties of materials considered in the simulation (From CRC handbook)

TITANIUM

Thermal conductivity $k = 0.219\text{ W/(cm. K)} = 21.9\text{ W/(m. K)}$ at 300K

Density $r = 4500\text{ kg/m}^3$

Heat capacity $C_p = 0.125\text{ cal/(g. K)} = 523\text{ J/(kg. K)}$

SILICON NITRIDE

Thermal conductivity $k = 0.072\text{ cal.cm}^{-1}\text{s}^{-1}\text{K}^{-1} = 30.1\text{ W/(m. K)}$ @ 300K

Density $r = 3180\text{ kg/m}^3$

Heat capacity $C_p = 0.17\text{ cal/(g. K)} = 712\text{ J/(kg. K)}$

ALUMINIUM

Thermal conductivity $k = 2.37\text{ W/(cm. K)} = 237\text{ W/(m. K)}$ at 300K

Density $r = 2700\text{ kg/m}^3$

Heat capacity $C_p = 0.215\text{ cal/(g. K)} = 900\text{ J/(kg. K)}$

CHROMIUM

Thermal conductivity $k = 0.903\text{ W/(cm. K)} = 90.3\text{ W/(m. K)}$ at 300K

Density $r = 7190\text{ kg/m}^3$

Heat capacity $C_p = 0.107\text{ cal/(g. K)} = 448\text{ J/(kg. K)}$